



石家莊鐵道大學
SHIJIAZHUANG TIEDAO UNIVERSITY

在线开放课程

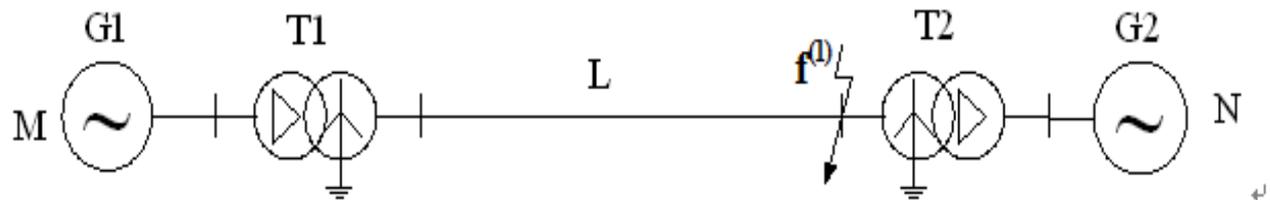
电力系统简单不对称故障的分析计算

简单不对称短路的实例讲解

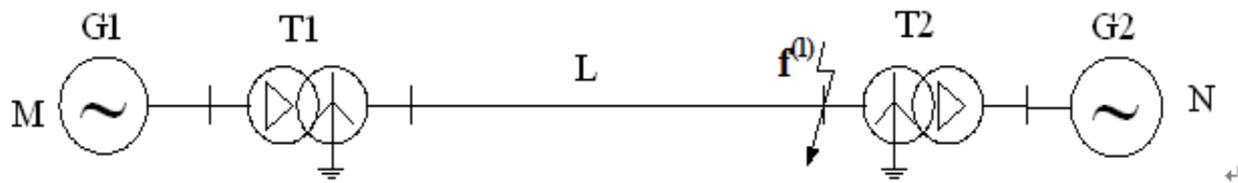
主讲：田行军

9.4 简单不对称短路的实例讲解

例 1、电力网络接线如图 4 所示。当在 f 点发生 a 相短路时，求短路起始瞬间故障处的各序电气量及其各相量。



9.4 简单不对称短路的实例讲解



各元件参数：

G1 : 62.5MVA, 10.5kV, $x_d'' = 0.125$, $x_2 = 0.16$, $E_M'' = 11\text{kV}$

G2 : 31.5MVA, 10.5kV, $x_d'' = 0.125$, $x_2 = 0.16$, $E_N'' = 10.5\text{kV}$

T1 : 60MVA, 10.5kV/121kV, $U_k \% = 10.5$

T2 : 31.5MVA, 10.5kV/121kV, $U_k \% = 10.5$

$x_1 = x_2 = 0.4\Omega/\text{km}$, $x_0 = 2x_1$, $L = 40\text{km}$

9.4 简单不对称短路的实例讲解

(1) 计算各序网络的等值参数。

选取 $S_B = 100\text{MVA}$ ，选取各段的平均电压，计算各元件参数的电抗标么值，并画出各序网等值电路图：

9.4 简单不对称短路的实例讲解

正序网络的等值参数为：

$$X_{G1(1)} = x_d'' \times \frac{S_B}{S_{G1(N)}} = 0.125 \times \frac{100}{62.5} = 0.2$$

$$X_{T1(1)} = \frac{U_k \%}{100} \times \frac{S_B}{S_{T1(N)}} = \frac{10.5}{100} \times \frac{100}{60} = 0.175$$

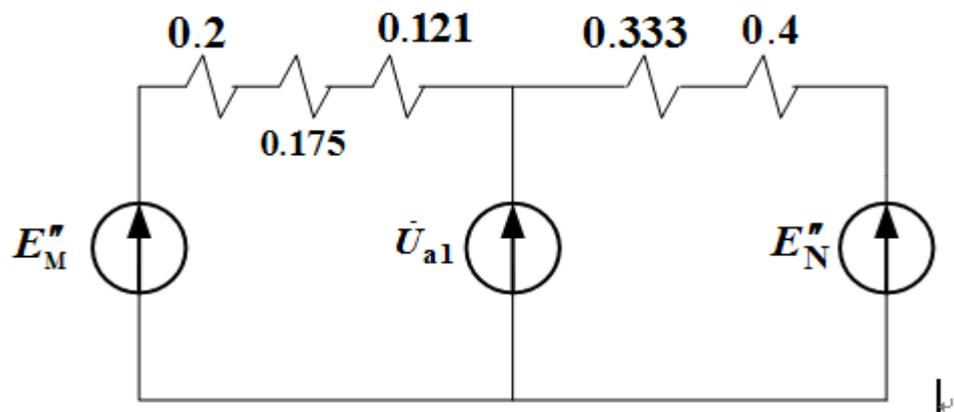
$$X_{L(1)} = x_1 \times L \times \frac{S_B}{U_B^2} = 0.4 \times 40 \times \frac{100}{115^2} = 0.121$$

9.4 简单不对称短路的实例讲解

$$X_{G2(1)} = x_d'' \times \frac{S_B}{S_{G2(N)}} = 0.125 \times \frac{100}{31.5} = 0.4$$

$$X_{T2(1)} = \frac{U_k \%}{100} \times \frac{S_B}{S_{T2(N)}} = \frac{10.5}{100} \times \frac{100}{31.5} = 0.333$$

正序网络：



9.4 简单不对称短路的实例讲解

负序网络的等值参数为：

$$X_{G1(2)} = x_2 \times \frac{S_B}{S_{G1(N)}} = 0.16 \times \frac{100}{62.5} = 0.256$$

$$X_{T1(2)} = X_{T1(1)} = 0.175$$

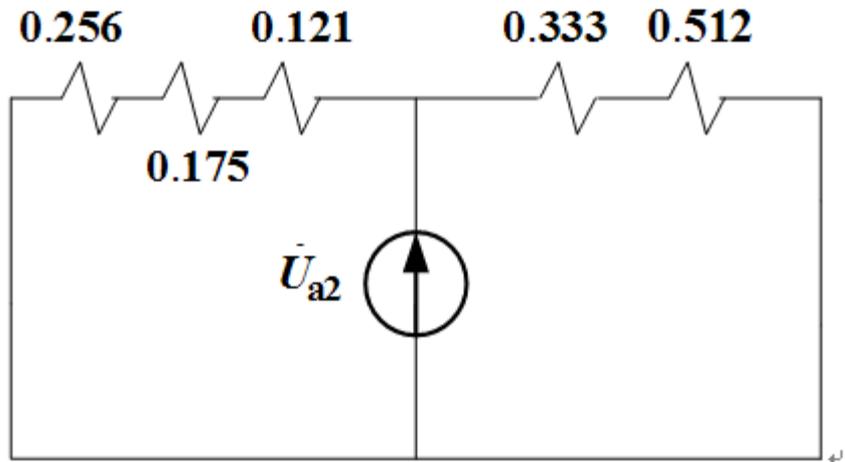
$$X_{L(1)} = X_{L(2)} = 0.121$$

$$X_{G2(1)} = x_2 \times \frac{S_B}{S_{G2(N)}} = 0.16 \times \frac{100}{31.5} = 0.512$$

$$X_{T2(2)} = X_{T2(1)} = 0.333$$

9.4 简单不对称短路的实例讲解

负序网络



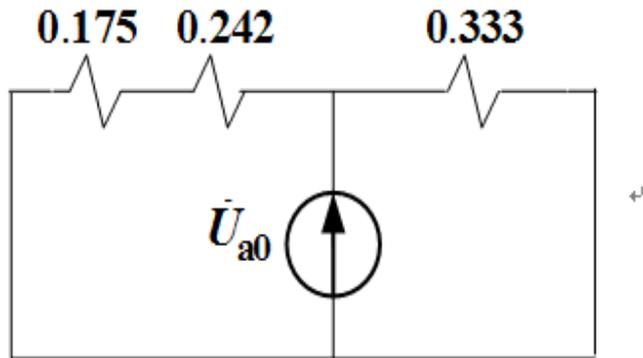
9.4 简单不对称短路的实例讲解

零序网络的等值参数为：

$$X_{T1(0)} = X_{T1(1)} = 0.175 \quad X_{T2(0)} = X_{T2(1)} = 0.333$$

$$X_{L(0)} = 2X_{L(1)} = 2 \times 0.121 = 0.242$$

零序网络



9.4 简单不对称短路的实例讲解

序网方程

$$\dot{U}_{a1} = \dot{E}_a - \dot{I}_{a1}(Z_{G1} + Z_{L1})$$

$$\dot{U}_{a2} = 0 - \dot{I}_{a2}(Z_{G2} + Z_{L2})$$

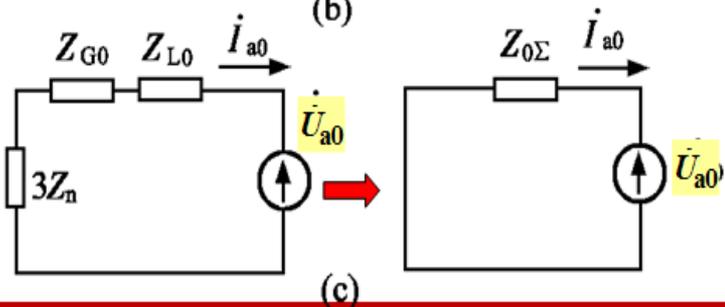
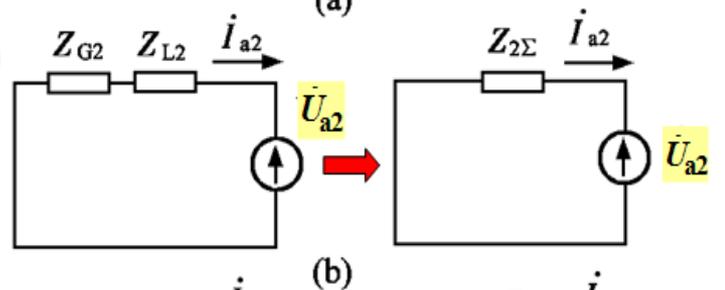
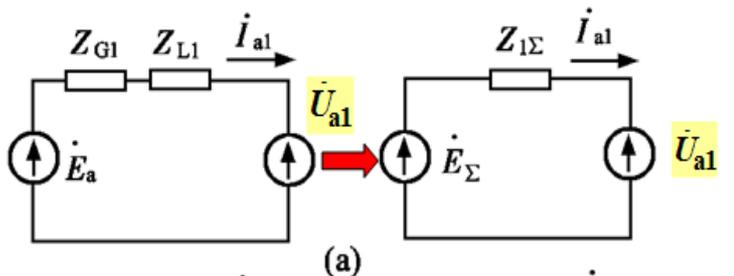
$$\dot{U}_{a0} = 0 - \dot{I}_{a0}(Z_{G0} + Z_{L0} + 3Z_n)$$



$$\dot{E}_\Sigma - \dot{I}_{a1}Z_{1\Sigma} = \dot{U}_{a1}$$

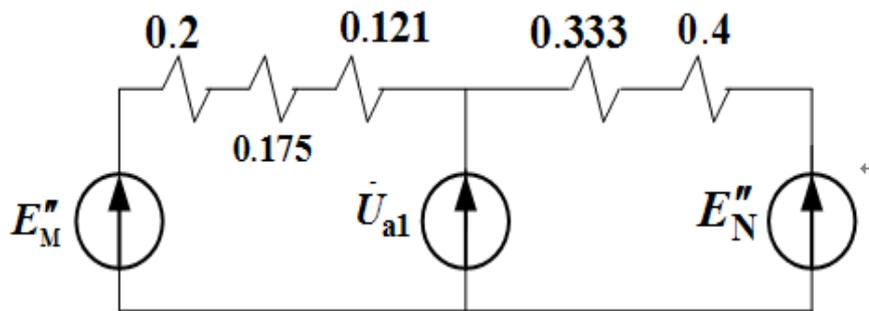
$$0 - \dot{I}_{a2}Z_{2\Sigma} = \dot{U}_{a2}$$

$$0 - \dot{I}_{a0}Z_{0\Sigma} = \dot{U}_{a0}$$



9.4 简单不对称短路的实例讲解

正序网络:



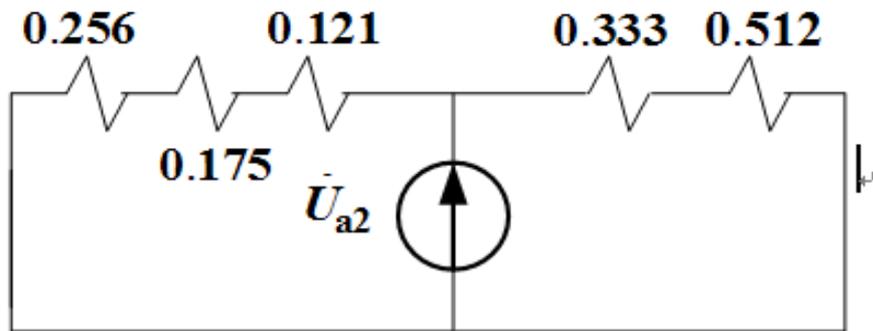
各序网络的等值参数为:

$$X_{1\Sigma} = \frac{(0.2 + 0.175 + 0.121) \times (0.333 + 0.4)}{0.2 + 0.175 + 0.121 + 0.333 + 0.4} = 0.296$$

$$\begin{aligned} E_{\Sigma}'' &= \frac{E_M'' (0.333 + 0.4) + E_N'' (0.2 + 0.175 + 0.121)}{0.2 + 0.175 + 0.121 + 0.333 + 0.4} \\ &= \frac{1.05 \times 0.733 + 1 \times 0.496}{0.496 + 0.733} = 1.03 \end{aligned}$$

9.4 简单不对称短路的实例讲解

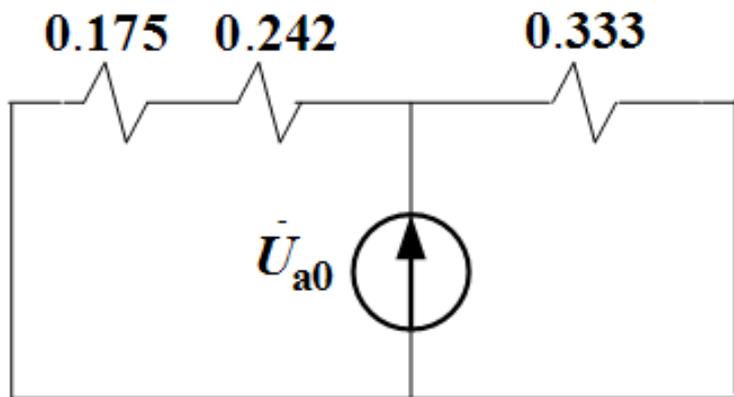
负序网络



$$X_{2\Sigma} = \frac{(0.256 + 0.175 + 0.121) \times (0.333 + 0.512)}{0.256 + 0.175 + 0.121 + 0.333 + 0.512} = 0.334$$

9.4 简单不对称短路的实例讲解

零序网络

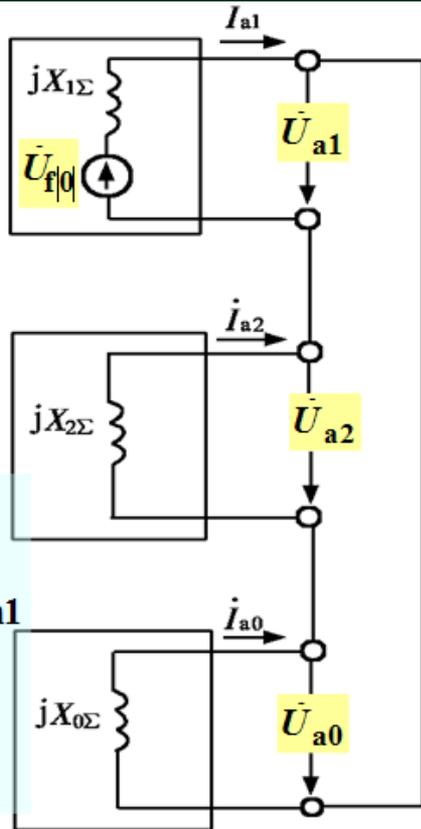


$$X_{0\Sigma} = \frac{(0.175 + 0.242) \times 0.333}{0.175 + 0.242 + 0.333} = 0.185$$

9.4 简单不对称短路的实例讲解

1、单相接地故障的复合序网

$$\begin{cases} \dot{U}_{a1} + \dot{U}_{a2} + \dot{U}_{a0} = 0 \\ \dot{I}_{a1} = \dot{I}_{a2} = \dot{I}_{a0} \end{cases}$$



$$\dot{I}_{a1} = \frac{\dot{U}_{f|0}}{\mathbf{j}(X_{1\Sigma} + X_{2\Sigma} + X_{0\Sigma})}$$

$$\dot{I}_{a2} = \dot{I}_{a0} = \dot{I}_{a1}$$

$$\dot{U}_{a1} = \dot{U}_{f|0} - \mathbf{j}X_{1\Sigma}\dot{I}_{a1} = \mathbf{j}(X_{2\Sigma} + X_{0\Sigma})\dot{I}_{a1}$$

$$\dot{U}_{a2} = -\mathbf{j}X_{2\Sigma}\dot{I}_{a2}$$

$$\dot{U}_{a0} = -\mathbf{j}X_{0\Sigma}\dot{I}_{a0}$$

9.4 简单不对称短路的实例讲解

(2) 计算各序电气量及各相量

$$\begin{aligned}\dot{I}_{\text{fa}(1)} &= \dot{I}_{\text{fa}(2)} = \dot{I}_{\text{fa}(0)} = \frac{\dot{E}_{\Sigma}''}{\text{j}(X_{1\Sigma} + X_{2\Sigma} + X_{0\Sigma})} \\ &= \frac{1.03}{\text{j}(0.296 + 0.334 + 0.185)} = -\text{j}1.264\end{aligned}$$

$$\begin{aligned}\dot{U}_{\text{fa}(1)} &= \dot{E}_{\Sigma}'' - \text{j}\dot{I}_{\text{fa}(1)}X_{1\Sigma} \\ &= 1.03 - \text{j}(-\text{j}1.264) \times 0.296 = 0.656\end{aligned}$$

$$\dot{U}_{\text{fa}(2)} = -\text{j}\dot{I}_{\text{fa}(2)}X_{2\Sigma} = -\text{j}(-\text{j}1.264) \times 0.334 = -0.422$$

$$\dot{U}_{\text{fa}(0)} = -\text{j}\dot{I}_{\text{fa}(0)}X_{0\Sigma} = -\text{j}(-\text{j}1.264) \times 0.185 = -0.234$$

9.4 简单不对称短路的实例讲解

故障处各相电流、电压

$$\dot{I}_{fa} = 3\dot{I}_{fa(1)} = 3 \times (-j1.264) = -j3.792$$

$$\dot{I}_{fb} = \dot{I}_{fc} = 0$$

$$\dot{U}_{fa} = \dot{U}_{fa(1)} + \dot{U}_{fa(2)} + \dot{U}_{fa(0)} = 0$$

$$\begin{aligned}\dot{U}_{fb} &= a^2\dot{U}_{fa(1)} + a\dot{U}_{fa(2)} + \dot{U}_{fa(0)} = 0.656a^2 - 0.424a - 0.234 \\ &= -0.351 - j0.933 = 0.977e^{-j110.6^\circ}\end{aligned}$$

$$\begin{aligned}\dot{U}_{fc} &= a\dot{U}_{fa(1)} + a^2\dot{U}_{fa(2)} + \dot{U}_{fa(0)} = 0.656a - 0.424a^2 - 0.234 \\ &= -0.351 + j0.933 = 0.977e^{j110.6^\circ}\end{aligned}$$

9.4 简单不对称短路的实例讲解

故障处各相电流、电压的有名值↵

$$I_B = \frac{100}{\sqrt{3} \times 115} = 0.502(\text{kA}) \quad U_B = \frac{115}{\sqrt{3}} = 66.4(\text{kV}) \quad \leftarrow$$

$$|\dot{I}_{fa}| = 3.792 \times 0.502 = 1.904(\text{kA}) \quad \leftarrow$$

$$|\dot{U}_{fb}| = |\dot{U}_{fc}| = 0.977 \times 66.4 = 66.2(\text{kV}) \quad \leftarrow$$

小结



在线开放课程

👉 用实例讲解了单相接地短路的计算方法;

